

## Introduction

- Reverberation and noise degrades speech quality.
- The weighted power minimization distortionless response (WPD) beamformer unifies weighted prediction error (WPE) dereverberation and the minimum power distortionless response (MPDR) beamformer [1, 2].
- In the STFT-domain reverberation and noise lead to a **less sparse representation** of a signal compared to its clean version.

### IN THIS POSTER

- Similar as in [3] for WPE we introduce a shape parameter  $p$  to **control the sparsity** of the cost function for WPD.
- Additionally we investigate the effect of **single- and multi-channel initialization** of the iterative optimization.

## Convolutional Beamformer

### Convolutional Signal Model (multi-frame) in STFT-domain

$$\mathbf{y}_t = \sum_{l=0}^{L_a-1} \mathbf{a}_l s_{t-l} + \mathbf{n}_t = \underbrace{\sum_{l=0}^{\tau-1} \mathbf{a}_l s_{t-l}}_{\text{direct/early } \mathbf{d}_t} + \underbrace{\sum_{l=\tau}^{L_a-1} \mathbf{a}_l s_{t-l}}_{\text{late reverb } \mathbf{r}_t} + \underbrace{\mathbf{n}_t}_{\text{noise}}$$

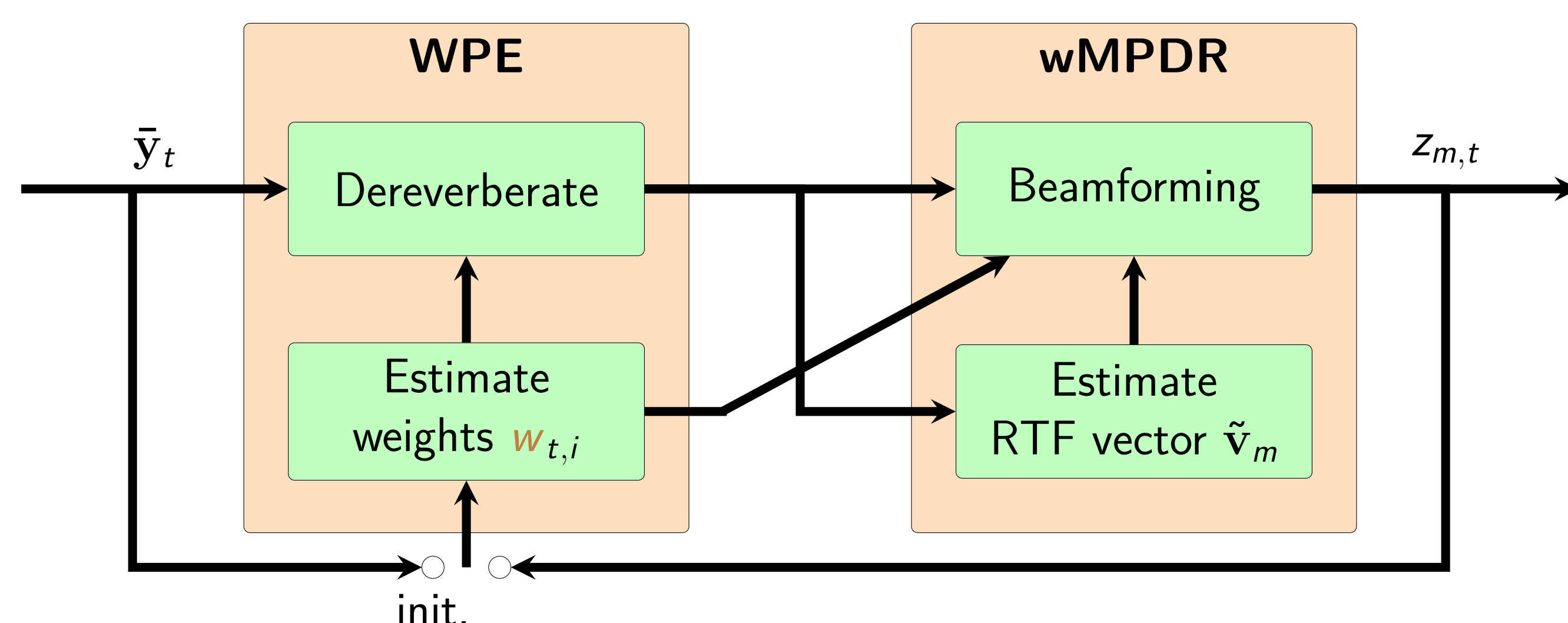
- Prediction delay  $\tau$  separates early reflections and late reverberation
- Desired component  $\mathbf{d}_t$  can be approximated by:  $\mathbf{d}_t \approx \mathbf{v} s_t = \tilde{\mathbf{v}}_m d_{m,t}$  with the **relative transfer function (RTF)** vector  $\tilde{\mathbf{v}}_m$

### Convolutional Filter (multi-frame) $\bar{\mathbf{h}}_m$

$$\mathbf{z}_{m,t} = \bar{\mathbf{h}}_m^H \bar{\mathbf{y}}_t \quad \text{with} \quad \bar{\mathbf{y}}_t = [\mathbf{y}_t^T | \mathbf{y}_{t-\tau}^T \cdots \mathbf{y}_{t-L_h+1}^T]^T \in \mathbb{C}^{M(L_h-\tau+1) \times 1}$$

- Stacked signal vector  $\bar{\mathbf{y}}_t$  contains the current frame and the past frames corresponding to late reverberation  $\rightarrow$  **Gap of  $\tau - 1$  frames** to keep early reflections

### Iterative WPD algorithm unifying WPE dereverberation and MPDR beamformer [2]



## Filter Optimization

### Distortionless Constraint

Distortionless constraint for desired component using RTF vector

$$\bar{\mathbf{h}}_m^H \bar{\mathbf{v}}_m = 1 \quad \text{with} \quad \bar{\mathbf{v}}_m = [\tilde{\mathbf{v}}_m^T \quad \mathbf{0}^T]^T$$

- Conventional WPD** uses time-varying circular Gaussian model for STFT coefficients as objective function
- Proposed generalization:**  $\ell_p$ -norm reformulation of the generalized Gaussian prior from [3], which introduces a shape parameter  $p$ .

### Conventional Objective Function

#### Time-varying Gaussian model

- Variances  $\lambda_t = \mathbb{E}[|d_{m,t}|^2]$
- $\Lambda = \text{diag}([\lambda_1 \cdots \lambda_T]^T)$

$$\mathcal{L}(\bar{\mathbf{h}}_m, \Lambda) \propto (\text{tr}(\ln \Lambda) + \mathbf{z}_m \Lambda^{-1} \mathbf{z}_m^H)$$

$\rightarrow$  iterative optimization scheme

### Proposed Objective Function

#### $\ell_p$ -norm cost function

$$\mathcal{L}(\bar{\mathbf{h}}_m) \propto \|\mathbf{z}_m\|_p^p \propto \sum_{t=1}^T |z_{m,t}|^p$$

$\rightarrow$  iterative reweighted optimization scheme using  $\ell_2$ -norm

$$\mathcal{L}(\bar{\mathbf{h}}_{m,i}, \mathbf{W}_i) \propto \sum_{t=1}^T w_{t,i} |z_{m,t}|^2 \propto \mathbf{z}_{m,i} \mathbf{W}_i \mathbf{z}_{m,i}^H$$

## Iterative Algorithms

- Optimize and update the beamformer  $\bar{\mathbf{h}}_{m,i}$  (iteration index  $i$ )
- Optimize and update the variances  $\Lambda_i$  and weights  $\mathbf{W}_i$

### Conventional

$$\bar{\mathbf{h}}_{m,i}^{\text{opt}} = \frac{\bar{\mathbf{R}}_{y,i}^{-1} \bar{\mathbf{v}}_m}{\bar{\mathbf{v}}_m^H \bar{\mathbf{R}}_{y,i}^{-1} \bar{\mathbf{v}}_m}$$

with noisy power-weighted multi-frame covariance matrix

$$\bar{\mathbf{R}}_{y,i} = 1/\tau \bar{\mathbf{Y}} \Lambda_i^{-1} \bar{\mathbf{Y}}^H$$

Variance update

$$\lambda_{t,i+1} = |z_{m,t,i}|^2 = \left| \bar{\mathbf{h}}_{m,i}^{\text{opt},H} \bar{\mathbf{y}}_t \right|^2$$

### Proposed

$$\bar{\mathbf{h}}_{m,i}^{\text{opt}} = \frac{(\bar{\mathbf{R}}_{y,i}^{\mathbf{W}})^{-1} \bar{\mathbf{v}}_m}{\bar{\mathbf{v}}_m^H (\bar{\mathbf{R}}_{y,i}^{\mathbf{W}})^{-1} \bar{\mathbf{v}}_m}$$

with noisy **reweighted** multi-frame covariance matrix

$$\bar{\mathbf{R}}_{y,i}^{\mathbf{W}} = 1/\tau \bar{\mathbf{Y}} \mathbf{W}_i \bar{\mathbf{Y}}^H$$

Weight update

$$w_{t,i+1}^{-1} = |z_{m,t,i}|^{2-p} = \left| \bar{\mathbf{h}}_{m,i}^{\text{opt},H} \bar{\mathbf{y}}_t \right|^{2-p}$$

$\rightarrow$  Proposed method equals conventional method for  $p = 0$

## Initialization of Variances/Weights

No output signal power available in first iteration  $\rightarrow$  Use input signal power

$$\text{Single-channel initialization: } \lambda_{t,1} = |y_{m,t}|^2 \quad \text{and} \quad w_{t,1}^{-1} = |y_{m,t}|^{2-p}$$

$$\text{Multi-channel initialization: } \lambda_{t,1} = \frac{\|\mathbf{y}_t\|_2^2}{M} \quad \text{and} \quad w_{t,1}^{-1} = \frac{\|\mathbf{y}_t\|_2^{2-p}}{M}$$

## Experimental Evaluation

### Reverb Challenge development dataset [4]

- Reverberation time  $T_{60} \in \{0.3 \text{ s}, 0.6 \text{ s}, 0.7 \text{ s}\}$ , SNR of about 20 dB
- Circular array with 8 microphone channels (speaker-to-mic distance 50 cm or 200 cm)

### Algorithm parameters

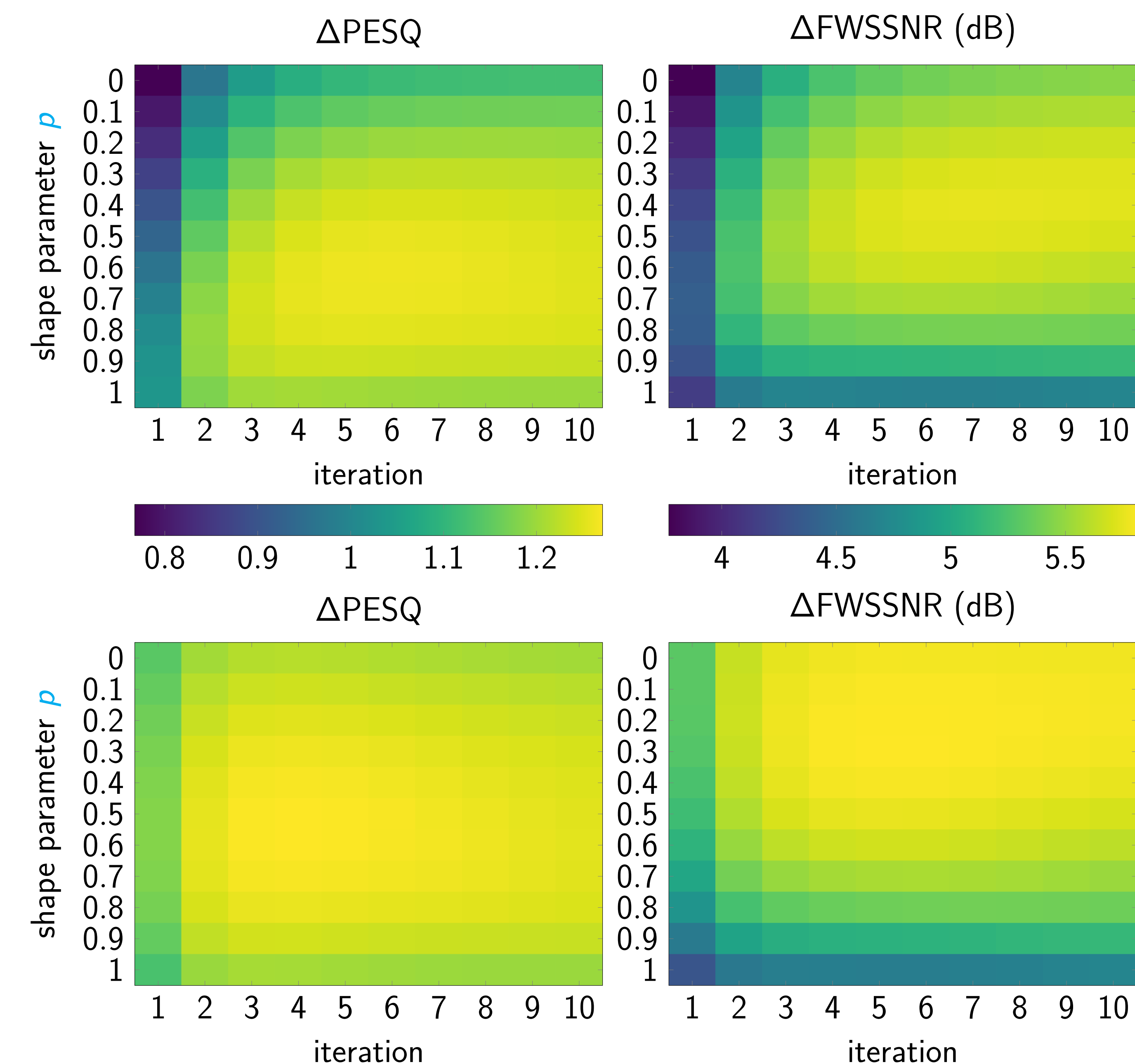
- STFT: 32 ms frame length with 25% overlap and square-root-Hann window
- Prediction delay  $\tau = 4$  and prediction filter length  $L_h = 12$

### RTF estimation

- RTF vector  $\tilde{\mathbf{v}}_m$  is estimated using covariance whitening
- Assuming only-noise period in the first 225 ms  $\rightarrow$  noise covariance matrix

## Results

### Influence of shape parameter $p$ , initialization and number of iterations



- Multi-channel initialization outperforms single-channel initialization (higher performance and faster convergence)
- Proposed beamformer with sparse priors outperforms conventional WPD beamformer (only slightly if multi-channel initialization is used)
- We extended the proposed method towards a weighted LCMP beamformer and participated in the Clarity Challenge [5, 6]